#### Hiding your White-Box Designs is Not Enough



#### **TROOPERS16**

Philippe Teuwen 16/03/2016



whoami

Philippe Teuwen aka @doegox aka yobibe

- @ Quarkslab
- free software, security, CTFs, photography
- 웹 http://wiki.yobi.be



Notice:

Research presented here was conducted when I was working for NXP Semiconductors



#### Outline

- Introduction to white-box cryptography
- Software execution traces
- Differential Computation Analysis





# INTRODUCTION TO WHITE-BOX CRYPTOGRAPHY

#### **Black box model**

Alice and Bob agree on a public value g and prime number p.







#### **Black box model**





#### **Grey box model**





#### **Grey box model**





# Grey box model



#### White box model







. -





Sole line of defense:

#### Implementation



#### **Usual countermeasures**

Code obfuscation Integrity checks Anti-debug tricks

mov eax,0x0	mov ebx,[eax+0x80a051e]	mov edx,0x0
mov ax,[0x80a0451]	mov eax,[ebx]	mov dx,[eax+eax+0x80c0bba]
mov byte [eax+0x80e17bc],0x0	mov edx,0x0	mov [ebx],edx
mov al,[eax+0x80e17bc]	mov dx,[eax+eax+0x80c0bba]	mov eax,[0x80a0556]
mov [0x80a0451],al	mov [ebx],edx	mov ebx,[eax+0x80a051e]
mov eax,[0x80a0556]	mov eax,[0x80a0556]	mov eax,[ebx]
mov edx,[eax+0x80a058e]	mov ebx,[eax+0x80a051e]	mov edx,0x0
mov eax,[0x80a0451]	mov eax,[ebx]	mov dx,[eax+eax+0x80c0bba]
mov eax,[eax+edx]	mov edx,0x0	mov [ebx],edx
mov [0x80a044d],eax	mov dx,[eax+eax+0x80c0bba]	mov eax,[0x80a0556]
mov eax,[0x80a044d]	mov [ebx],edx	mov ebx,[eax+0x80a051e]
mov eax,[eax+0x80a054e]	mov eax,[0x80a0556]	mov eax,[ebx]
mov dword [eax],0x139	mov ebx,[eax+0x80a051e]	mov edx,0x0
mov eax,[0x80a044d]	mov eax,[ebx]	mov dx,[eax+eax+0x80c0bba]



Illustrations: by @xoreaxeaxeax about M/o/Vfuscator and blog.quarkslab.com about OLLVM

#### **Cryptography under White-box model**

What if you need to do some crypto in such hostile environment?

- DRM schemes ↔ criminals users
- Mobile payment, HCE ↔ malwares



Source: "l'industrie du film"



Source: Business Insider



#### **Cryptography under White-box model**

What if you need to do some crypto in such hostile environment?

- DRM schemes ↔ criminals users
- Mobile payment, HCE ↔ malwares

Obfuscation techniques alone are mostly insufficient

- <u>Obfuscation</u> mainly about securing <u>code</u> but here: standard <u>crypto</u> algo in need for strong <u>key</u> protection
- E.g. entropy attack on RSA by Shamir and Van Someren (1999)





## White-box cryptography

Chow et al. (2002)

- "Ideal" WB AES implementation:
  One big lookup table
  4.94 x 10<sup>27</sup> TB
- Practical WB AES:
  Network of smaller tables
  752kB
  Encoding on intermediate wavelets

Encoding on intermediate values





#### White-box cryptography

History:

- Academic attacks  $\rightarrow$  new designs  $\rightarrow$  ...
- Today, <u>all</u> academic schemes have been broken



#### White-box cryptography

History:

- Academic attacks  $\rightarrow$  new designs  $\rightarrow$  ...
- Today, <u>all</u> academic schemes have been broken

Industry response:

- Keep white-box designs secret
- Bury white-box implementation under layers of code obfuscation, integrity checks, anti-debug tricks
- Some claim to be equivalent to a Secure Element



#### "Academic" attacks?

#### Require reversing of all the obfuscation layers Require knowledge on the design Then apply attack:

**Definition 3.** The mapping  $\overline{AES}_{enc}^{(r,j)}$ :  $(\mathbf{F}_2^8)^4 \to (\mathbf{F}_2^8)^4$  for  $1 \le r \le 9$  and  $0 \le j \le 3$ , called an encoded AES subround with byte permutations, is defined by  $\overline{AES}_{enc}^{(r,j)} = (Q_0^{(r,j)}, Q_1^{(r,j)}, Q_2^{(r,j)}, Q_3^{(r,j)}) \circ$   $\overline{AES}^{(r,j)} \circ (P_0^{(r,j)}, P_1^{(r,j)}, P_2^{(r,j)}, P_3^{(r,j)}) ,$ 

where the mapping  $\overline{AES}^{(r,j)}$  is defined by

$$\Pi_2^{(r,j)} \circ AES^{(r,\pi^{(r)}(j))} \circ \Pi_1^{(r,j)} = \mathsf{MC}^{(r,j)} \circ (S,S,S,S) \circ \oplus_{[\bar{k}_i^{(r,j)}]_{0 \le i \le 3}} \;,$$

$$\begin{array}{ll} \text{with} & [\bar{k}_i^{(r,j)}]_{0 \leq i \leq 3} = (\Pi_1^{(r,j)})^{-1} \big( [k_i^{(r,\pi^{(r)}(j))}]_{0 \leq i \leq 3} \big) \\ \text{and} & \operatorname{MC}^{(r,j)} & = \Pi_2^{(r,j)} \circ \operatorname{MC} \circ \Pi_1^{(r,j)} \ . \end{array}$$

As a result of the algorithm mentioned above, the white-box adversary has black-box access to the following structures of each round  $R_r|_{r=1,...,10}$ :

$$\begin{cases} \operatorname{SR} \circ \bigoplus_{K'_{10}} \circ \{S_{10,i}\}|_{i=0,\dots,15} \circ \bigoplus_{K_9} \circ A'_9^{-1} & \text{for } R_{10} \\ \operatorname{MC} \circ \operatorname{SR} \circ A''_r \circ \{S_{r,i}\}|_{i=0,\dots,15} \circ \bigoplus_{K_{r-1}} \circ A'_{r-1}^{-1} & \text{for } R_r|_{2 \le r \le 9} \\ \operatorname{MC} \circ \operatorname{SR} \circ A''_1 \circ \{S_{1,i}\}|_{i=0,\dots,15} \circ \bigoplus_{K_0} & \text{for } R_1 \end{cases}, \tag{5}$$

The second step then implements the function  $\tau_{r,i}^k$  in which  $\mu_r(n)$  describes the corresponding position of the bit in the output of the t-boxes, and PB is the DES p-box operation:

$$\begin{aligned} \tau_{r,i}^{k}(x)(L_{r}^{i}, {R'}_{r}^{i}) &= \left( \underbrace{\alpha_{r,i}^{k}(x|_{8\gamma_{r}(i)}^{4}, x|_{8\gamma_{r}(i)+4}, x|_{8\gamma_{r}(i)+5})}_{depends \ on \ R_{r-1} \ only} \right) || \\ \left( EP_{i} \left[ PB \left( \underbrace{x|_{\gamma_{r}(0)}^{4} \parallel x|_{\gamma_{r}(1)}^{4} \parallel \dots \parallel x|_{\gamma_{r}(1)}^{4}}_{depends \ on \ R_{r-1} \ only} \right) \oplus \left( \underbrace{x|_{\mu_{r}(0)} \parallel \dots \parallel x|_{\mu_{r}(32)}}_{depends \ on \ L_{r-1} \ only} \right) \right] \right) \\ \tau_{r}^{k}(x) &= \tau_{r,0}^{k}(x) \parallel \tau_{r,1}^{k}(x) \parallel \dots \parallel \tau_{r,11}^{k}(x) \end{aligned}$$

 $\psi_r$  and  $\phi_r$  are different non-linear bijective encodings on 4-bit blocks, and  $\delta_r$ 

$$\delta_r(L, R') = \gamma_r(\mu_r((L|0^{24}), R'))$$

 $\begin{array}{lll} \mu_r(x_0x_1...x_{47},y_0...y_{47}) = & y_0...y_5x_{\mu_r^{-1}(0)}x_{\mu_r^{-1}(1)}y_6...y_{11}x_{\mu_r^{-1}(2)}x_{\mu_r^{-1}(3)}...y_{42}...y_{47}x_{\mu_r^{-1}(22)}x_{\mu_r^{-1}(23)}...x_{\mu_r^{-1}(47)} \\ & \gamma_r(z_0z_1...z_{95}) = & z_{\gamma_r^{-1}(0)}...z_{(\gamma_r^{-1}(0)+5)}z_6z_7...z_{\gamma_r^{-1}(11)}...z_{(\gamma_r^{-1}(11)+5)}z_{94}z_{95} \end{array}$ 

The obfuscated t-box is

$$T_r^{\prime k}(x) = (\phi_r \ T_r^k \ \psi_{r-1}^{-1})(x).$$

Hence the transformed function is:

$$E^{k}(x) = \left[ (\lambda^{-1} \delta_{n}^{-1} \psi_{n}^{-1}) \cdot \left( \psi_{n} \delta_{n} \tau_{n}^{k} \phi_{n}^{-1} \right) \cdot \left( \phi_{n} T_{n}^{k} \psi_{n-1}^{-1} \right) \cdot \ldots \cdot \left( \psi_{1} \delta_{1} \tau_{1}^{k} \phi_{1}^{-1} \right) \cdot \left( \phi_{1} T_{1}^{k} \psi_{0}^{-1} \right) \cdot \left( \psi_{0} \delta_{0} \beta \lambda \right) \right] (x)$$

with

By setting

$$\beta(L,R) = L \mid\mid EP(R)$$

$$\tau_r^{\prime k} = \begin{cases} \psi_0 \, \delta_0 \, \beta \, \lambda & r = 0\\ \psi_r \, \delta_r \, \tau_r^k \, \phi_r^{-1} & r = 1, .., n\\ \lambda^{-1} \, \delta_n^{-1} \, \psi_n^{-1} & r = n+1 \end{cases}$$

the resulting encryption operation is

$$E^{k}(x) = \left[\tau_{n+1}^{\prime k} \cdot \left(\tau_{n}^{\prime k} \cdot T_{n}^{\prime k}\right) \cdot \dots \cdot \left(\tau_{1}^{\prime k} \cdot T_{1}^{\prime k}\right) \cdot \tau_{0}^{\prime k}\right](x)$$

Excerpts:

- "Two Attacks on a White-Box AES"
- "Cryptanalysis of a Perturbated White-Box AES Implementation"
- "Attacking an obfuscated cipher by injecting faults"

#### "Academic" attacks?

#### = a lot of effort then, anyway, for me:

 $\tau_{r,i}^{k}(x)(L_{r}^{i}, R_{r}^{\prime i}) = \left( \underbrace{ \alpha_{r,i}^{k}(x|_{8\gamma_{r}(i)}^{4}, x|_{8\gamma_{r}(i)+4}, x|_{8\gamma_{r}(i)+5})}_{depends \, on \, R_{r-1} \, only} \right) || \\ \left( EP_{i} \left[ PB \left( \underbrace{ x|_{\gamma_{r}(0)}^{4} || \, x|_{\gamma_{r}(1)}^{4} || \dots || \, x|_{\gamma_{r}(1)}^{4}}_{depends \, on \, L_{r-1} \, only} \right) \oplus \left( \underbrace{ x|_{\mu_{r}(0)} || \dots || \, x|_{\mu_{r}(32)}}_{depends \, on \, L_{r-1} \, only} \right) \right] \right)$ **Definition 3.** The mapping  $\overline{AES}_{enc}^{(r,j)}$ :  $(\mathbf{F}_2^8)^4 \to (\mathbf{F}_2^8)^4$  for  $1 \leq r \leq 9$  and  $0 \leq r \leq 1$  $j \leq 3$ , called an encoded AES subround with byte permutations, is defined by  $\overline{AES}_{enc}^{(r,j)} = (Q_0^{(r,j)}, Q_1^{(r,j)}, Q_2^{(r,j)}, Q_3^{(r,j)}) \circ$  $\overline{AES}^{(r,j)} \circ (P_0^{(r,j)}, P_1^{(r,j)}, P_2^{(r,j)}, P_3^{(r,j)})$ ,  $\tau_r^k(x) = \tau_{r,0}^k(x) || \tau_{r,1}^k(x) || \dots || \tau_{r,11}^k(x)$ where the mapping  $\overline{AES}^{(r,j)}$  is defined by  $\psi_r$  and  $\phi_r$  are different non-linear bijective encodings on 4-bit blocks, and  $\delta_r$  $r,\pi^{(r)}(j)) \circ \Pi_1^{(r,j)} = 1$  $(S,S,S,S) \circ \oplus_{[\bar{k}]^{(r,j)}}$  $\gamma_r(\mu_r((L|0^{24})$  $y_0 \dots y_5 x_{\mu_r^{-1}(0)} x_{\mu_r^{-1}}$  $[\bar{k}_{i}^{(r,j)}]_{0 \le i \le 3}$  =  $\Pi_1^{(r,j)}$  .  $MC^{(r,j)}$ The o  $\binom{1}{1}(x)$ . algorithm *r* entioned an ite-box adversa asblack-box access the following structures of each round  $R_r|_{r=1,\dots,10}$ :  $E^{k}(x) = \left[ (\lambda^{-1} \delta_{n}^{-1} \psi_{n}^{-1}) \cdot \left( \psi_{n} \delta_{n} \tau_{n}^{k} \phi_{n}^{-1} \right) \cdot \left( \phi_{n} T_{n}^{k} \psi_{n-1}^{-1} \right) \cdot \dots \cdot \left( \psi_{1} \delta_{1} \tau_{1}^{k} \phi_{1}^{-1} \right) \cdot \left( \phi_{1} T_{1}^{k} \psi_{0}^{-1} \right) \right]$ with  $\begin{cases} \operatorname{SR} \circ \bigoplus_{K'_{10}} \circ \{S_{10,i}\}|_{i=0,\dots,15} \circ \bigoplus_{K_9} \circ A'_{9}^{-1} & \text{ for } R_{10} \ , \\ \operatorname{MC} \circ \operatorname{SR} \circ A''_{r} \circ \{S_{r,i}\}|_{i=0,\dots,15} \circ \bigoplus_{K_{r-1}} \circ A'_{r-1}^{-1} & \text{ for } R_{r}|_{2 \leq r \leq 9} \ , \\ \operatorname{MC} \circ \operatorname{SR} \circ A''_{1} \circ \{S_{1,i}\}|_{i=0,\dots,15} \circ \bigoplus_{K_0} & \text{ for } R_1 \ , \end{cases}$  $\beta(L, R) = L \mid\mid EP(R)$ (5)By setting  $\tau_r'^k = \begin{cases} \psi_0 \, \delta_0 \, \beta \, \lambda & r = 0 \\ \psi_r \, \delta_r \, \tau_r^k \, \phi_r^{-1} & r = 1, .., n \\ \lambda^{-1} \, \delta^{-1} \, \psi_-^{-1} & r = n+1 \end{cases}$ the resulting encryption operation is  $E^{k}(x) = \left[\tau_{n+1}^{\prime k} \cdot \left(\tau_{n}^{\prime k} \cdot T_{n}^{\prime k}\right) \cdot \dots \cdot \left(\tau_{1}^{\prime k} \cdot T_{1}^{\prime k}\right) \cdot \tau_{0}^{\prime k}\right](x)$ 

The second step then implements the function  $\tau_{r,i}^k$  in which  $\mu_r(n)$  describes the corresponding position of the bit in the output of the t-boxes, and PB is the DES p-box operation:

#### **Our goal**

Recover white-box keys

- without much reverse-engineering effort
- without much intellectual effort ^^



SOFTWARE EXECUTION TRACES



## **Tracing binaries**

Record all instructions and memory accesses

Examples:

- Intel PIN (x86, x86-64, Linux, Windows, Wine/Linux)
- Valgrind (idem+ARM, Android)
- Add hooks to VM (Java, Python,...)
- Add hooks to emulators



# Trace convention: QUarkslab's pTra waterfall



memory addresses

### Visual crypto identification: code





#### **Visual crypto identification: code?**





#### Visual crypto identification: code? data!



NP

#### Visual crypto identification: code? data?

























# Where is my key?

DIFFERENTIAL COMPUTATION ANALYSIS



#### **Remember?**



All started with Differential Power Analysis

by P. Kocher et al. (1998)

- Probable correlations:
  power consumption vs.
  Hamming weight of internal values
- Record many traces while providing different inputs





#### **Differential Power Analysis**

Some intermediate values in first (or last) round depend only on known data and a fraction of the round key



#### **Differential Power Analysis**

- 1) Make a guess on that fraction of key
- 2) Evaluate targeted intermediate value for each plaintext: 0 or 1?
- 3) Sort traces accordingly in two buckets and average them
- 4) Compute differences between those averages

If the key guess is correct, it'll show up:





#### **Differential Power Analysis**

Very powerful grey box attack!

Requirements:

- Either known input or known output
- Ability to trace power consumption (or EM radiations)
- Some leakage



Port the white-box to a smartcard and measure power consumption



Port the white-box to a smartcard and measure power consumption Software execution traces  $\rightarrow$  "power traces" Memory accesses / data / stack writes / ...

E.g. build a trace of all 8-bit data reads:





→ Build Hamming weight traces?





#### $\rightarrow\,$ Serialize bytes in a succession of bits







# Looks weird but works great!

As if:





Image source: Brightsight

#### Next step

Feed traces in your favorite DPA tool

- Riscure Inspector SCA software
- ChipWhisperer opensource software
- Matlab...
- Daredevil !



#### Tips

#### What to trace?

- Stack writes
- Data reads
- Accessed addresses

plaintexts and/or ciphertexts

- May require binary instrumentation

Large white-box? Minimize amount of traced information

- Trace only first (or last) round
- Standard deviation analysis to compress the trace





by Brecht Wyseur, 2007

DES implementation based on Chow "plus some personal improvements"

Downloading Linux binary...

1h and 65 traces later (of a full binary execution), key got broken!



## Hack.lu 2009 challenge

Windows *crackme* by Jean-Baptiste Bédrune AES implementation based on Chow

Hack.lu 2009 – Crackme		×
Key:		
	Check Abou	ut



Laziness → Wine/Linux + xdotool (kbd+mouse emulation) 16 traces

(CTF challenge, no internal encodings)



#### SSTIC 2012 challenge

Python white-box by Axel Tillequin DES implementation in a marshalled object

Python + PIN = Boom

 $\rightarrow$  Instrumenting "Bits" helper class

Again, 16 traces

Again, no internal encodings



#### Karroumi



Latest academic attempt to "fix" Chow (2011) Dual Ciphers, i.e. isomorphic AES ciphers:

$$\forall p, k : E_k(p) = f^{-1}\left(E'_{g(k)}(h(p))\right)$$

Our own binary challenge...

2000 traces, 500 traces after some tuning



#### **Some proprietary white-boxes**

DES & AES

Broken in 200 to 2500 traces



#### **Back to White-Box design**

Known key analysis



- 1) Identify first leaking samples (the original source)
- 2) Find the corresponding instruction
- 3) Find the corresponding source code line



# Works also on obfuscated VMs: M/o/Vfuscator2

#### Applied on a standard AES implementation





### **M/o/Vfuscator2 on AES**

Auto-correlation reveals structure:

Huge traces, compressed by looking at standard deviation 4Mb -> 6.6kb

First round Sbox output



20 – 30 traces

http://wiki.yobi.be/wiki/MoVfuscator\_Writeup









#### Can DCA fail?

#### Yes!

Wide intermediate non-linear encodings (8x8) blind the SBox non-linerarity

But very large tables!

- $\rightarrow$  Trend to reuse those tables
- → reuse encodings
- $\rightarrow$  other types of attack



cf my write-ups of NoSuchCon 2013 and CHES 2015 http://wiki.yobi.be/wiki/CHES2015\_Writeup



#### **Other countermeasures?**

Runtime randomness?

- Here, no trustworthy TRNG available

Runtime random delays?

- Trace instructions  $\rightarrow$  realign

Building proper white-box technology is a delicate matter... Forget about "perfect" security, but if cost of an attack is larger than the benefit for the attacker, you achieved your goal.

Oops, it seems our cheap attack raised the bar...



#### Other grey box attacks within reach: Higher order DPA, CPA, DFA,...





#### Take also care of code lifting, inversing f(),...

# "Now this is not the end. It's not even the beginning of the end. But it is, perhaps, the end of the beginning."





### **Side-Channel Marvels**

🗘 TROOPERS release!

https://github.com/SideChannelMarvels



#### Tracer

- TracerGrind
- TracerPIN
- TraceGraph



#### Deadpool

- White-boxes
- Attack automation



#### Daredevil

- Side-channel analysis (CPA)



#### **Side-Channel Marvels**

🗘 TROOPERS release!

https://github.com/SideChannelMarvels

Current team:

Charles Hubain (Quarkslab)

Joppe Bos (NXP)

Michael Eder (TUM, Fraunhofer AISEC)

Paul Bottinelli (EPFL)

Philippe Teuwen (Quarkslab)

Van Huynh Le (U.Twente, NXP)

Wil Michiels (NXP, TU/e)

Oh, BTW...



**Orka** - Docker images

# THANK YOU! QUESTIONS?

# https://eprint.iacr.org/2015/753 @doegox

# Quarkslab

Image source: "A Beautiful Mind"